

Growth of Nonbaryonic DM Theory Summary (Nature)

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1 Stem of Thought

- Additional matter: For spiral galaxies' stability, mass cannot be only in a disk supported by circular motion \Rightarrow mass in disk subdominant to mass in a spherical dark halo.
- Nonbaryonic:
 - (a) Problem: growing clumpy distribution of mass vs. still smooth CMB radiation
 - (b) Solution: Λ CDM cosmology- Baryonic matter subdominant to non-baryonic dark matter (NBDM).
 - (c) Reason: Mass density of CMB neutrinos $<$ cosmic mean density \Rightarrow new class of neutrinos with large mass (WIMP) for annihilation of neutrino pairs \Rightarrow remnant mass density reduction \Rightarrow close the Universe.
 - Candidates: lightest stable supersymmetric partner, axions (cluster into galaxy halo).

2 Ω and H

Einstein-de Sitter (EdeS) model: require zero curvature ($\rho = \rho_c$) \Rightarrow add Λ

2.1 Rate of Expansion of Homogeneous Universe:

$$H(t)^2 = \left(\frac{1}{a} \frac{da}{dt}\right)^2 = H_0^2 \left[\Omega_m \left(\frac{a(t_0)}{a(t)}\right)^3 + \Omega_k \left(\frac{a(t_0)}{a(t)}\right)^2 + \Omega_\Lambda \right] \quad (1)$$

with,

$$\Omega_m + \Omega_k + \Omega_\Lambda = 1 \quad (2)$$

Parameters:

- H_0 - current value of expansion rate $H(t)$ ($[H(t)] = [T]^{-1}$);
- Ω_i - relative contributions to expansion: matter ($i = m$), space curvature ($i = k$), cosmological constant ($i = \Lambda$);
- $\mathbf{a(t)}$ - cosmic scale factor (often used to relate proper distances at different reference times $l(t) = l_0 a(t)$); Friedman equations;
- \mathbf{t} - ideal clock moving with matter; $\mathbf{t_0}$ - present time.

Hubble's law- mean rate of separation:

$$v = \frac{dl}{dt} = \frac{1}{a} \frac{da}{dt} l = Hl, \quad H_0 = 100 h \text{kms}^{-1} \text{Mpc}^{-1} \quad (3)$$

where $l(t)$ - physical separation.

Redshift of radiation emitted at t_e , detected at t_0 :

$$\frac{\lambda_0}{\lambda_e} = \frac{a(t_0)}{a(t_e)} \equiv 1 + z \quad (4)$$

where \mathbf{z} - cosmological redshift; at small z , $v = cz$.

2.2 Speculations of the 1980s and 1990s

- EdeS Universe: $\Omega_m \approx 1, \Omega_k = 0$ (due to inflation), and Ω_Λ close to zero.
- NBDM could reconcile *EdeS* Ω_m with baryon density Ω_b (derived from theory of light element formation Big Bang nucleosynthesis)
 - If $\Omega_b = 1$, abundant helium and most deuterium converted to helium

- If $\Omega_b \approx 0.1$, less helium, and remnant deuterium visible.
- Experimental: $\Omega_b < 0.3 \Rightarrow \Omega_m < 0.3$, a need of NBDM for $\Omega_m \approx 1$?
- Another observation: lower density from measures on smaller scales.
 - Reconciling the EdeS mass by "biasing": bulk of DM distributed with galaxies on large scales (globally larger Ω_m); small fraction clusters with galaxies on small scales (locally smaller Ω_m)
 - Other interpretations: space sections flat with a Λ , space sections open with $\Lambda = 0$, constraints on Λ , etc.

2.3 Developments of the 2000s

- Measurements of redshift-magnitude ($z-m$) relation (z defined in Eq.4, m the logarithmic measurement of observed energy flux density), and CMB anisotropy spectrum $\Rightarrow \Lambda$ CDM cosmology.
 - Fit to $z - m$ relation require if $\Omega_m \geq 0.1$, then $\Lambda > 0$
 - CMB temperature could be modelled as a function with bases $\langle |a_l^m|^2 \rangle$ (angular spectrum). In CDM cosmology, anisotropy spectrum peaks at l_{peak} and this requires small space curvature.
 - Cosmological constant Λ added for small $\Omega_m \Rightarrow$ no space curvature.
- Present case- Λ CDM: from theory of structure formation $< 30Mpc$, and tests on scales of Hubble Length $c/H_0 = 4000Mpc$.
 - Flat space sections, and some free parameters (e.g.present matter densities in baryon and NBDM)

3 To Conclude..

Many a' efforts(measurements of CMB, redshift, abundance of deuterium/helium) \Rightarrow nonbaryonic dark matter. What took so long?